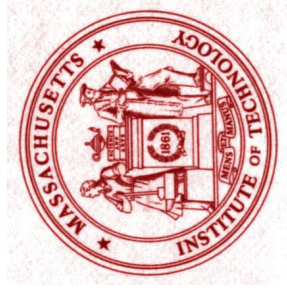


OOE2: Progress and Plans



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June 21, 2001

Scope

The general case of an OOF-accessible problem:

Generalized force

Equilibrium
equation

Field being solved for

$$\begin{aligned}\nabla \cdot \psi &= f \\ \psi &= c \cdot \nabla \phi\end{aligned}$$

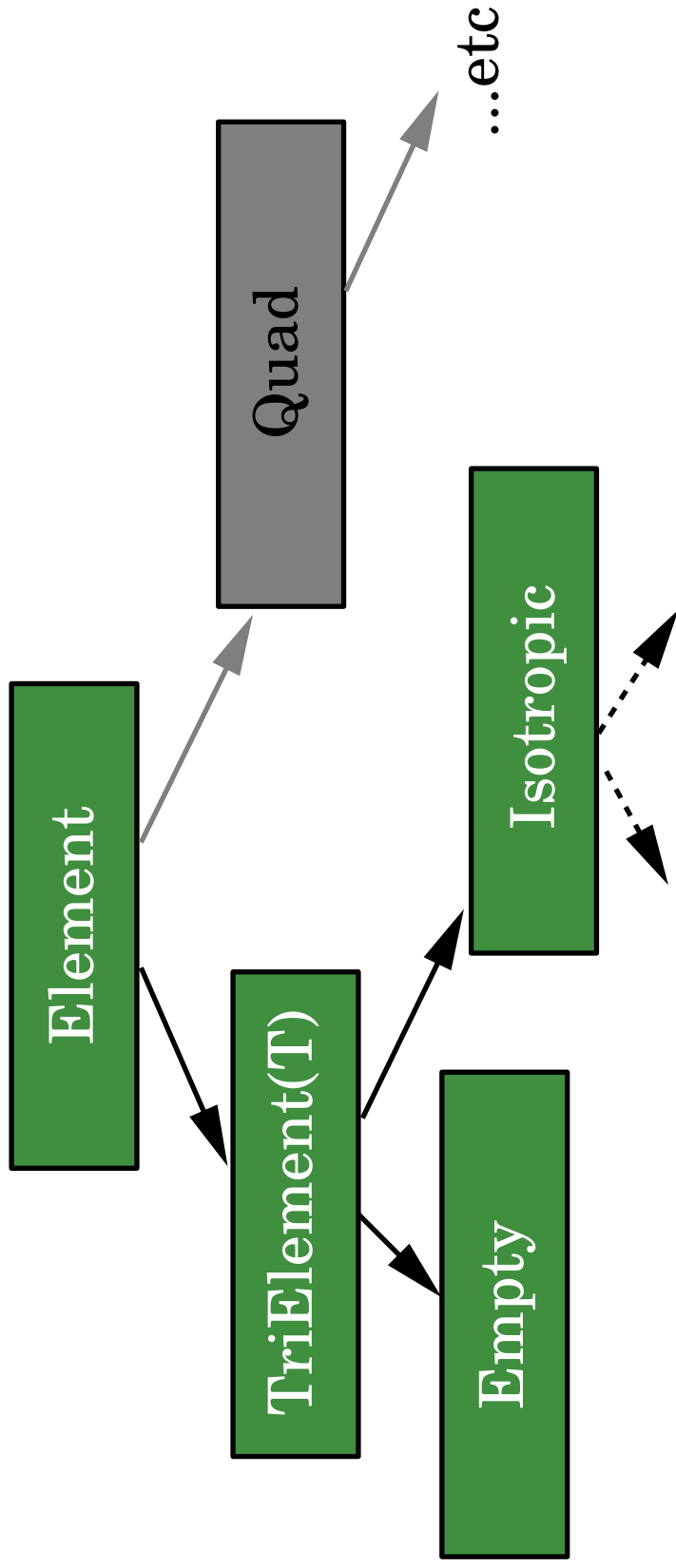
Constitutive
relation

Property

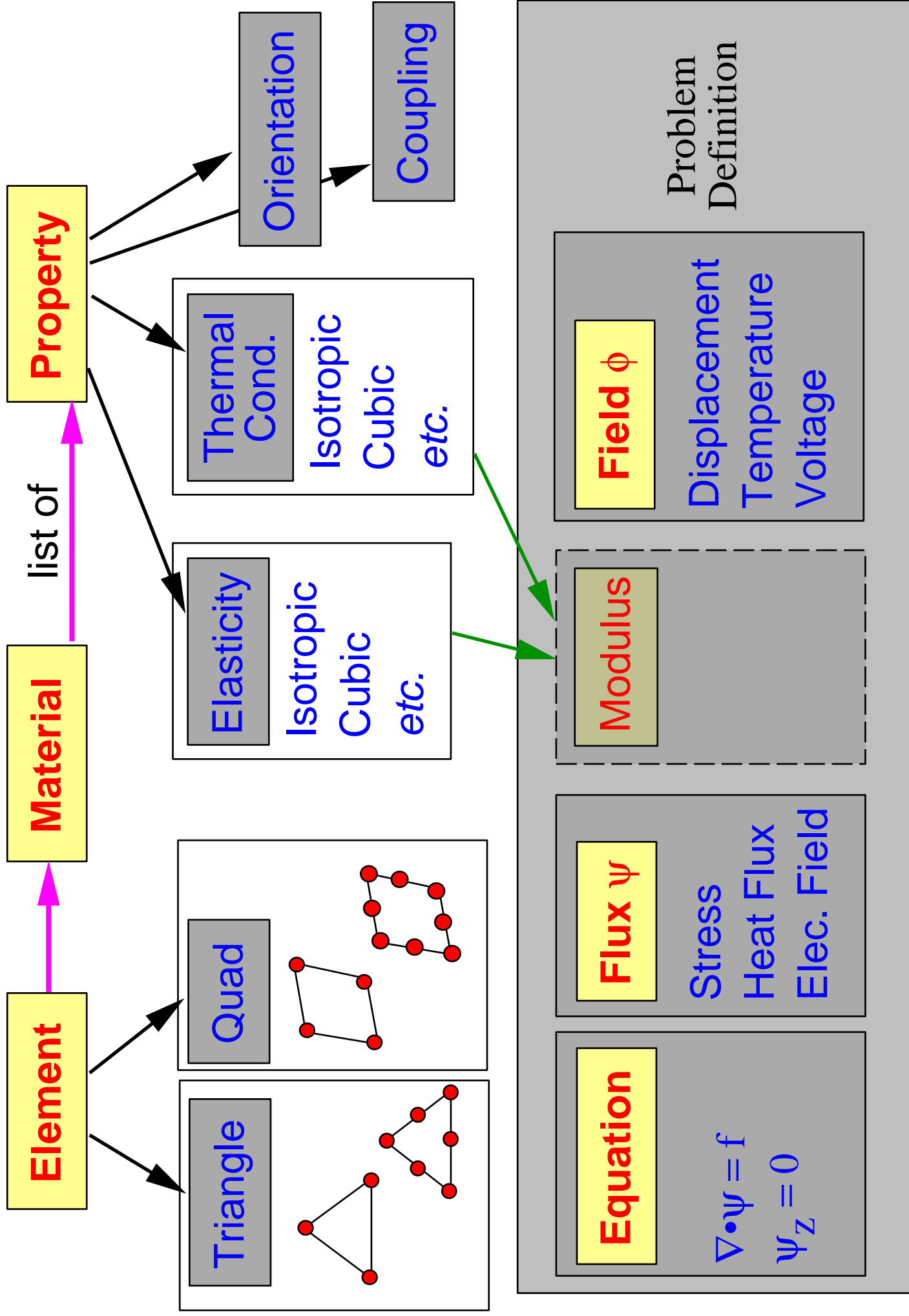
Generalized flux

Architecture: OOF1 vs OOF2

In OOF1, **elements** contain everything. Adding new functionality means building a new kind of element.



In OOF2, elements are primarily **geometric** objects. They have pointers to materials and **properties**, and associated **fluxes**. **Fields** are defined separately from elements.



OOF1 Extensions

Many of the lessons learned about extensibility took place in the context of interesting and valuable extensions in the OOF1 code by developers and users

- Solution mesh refinement
- Piezo–electric properties
 - Viscoelasticity

These refinements, with the lessons learned, will be included in the OOF2 code

OOF2 Extensibility

OOF2 has additional design features intended to make use and extension easy

- High-level code written in Python
 - Input files are Python scripts -- human-readable, platform independent
- User interface will allow import, export of materials and properties

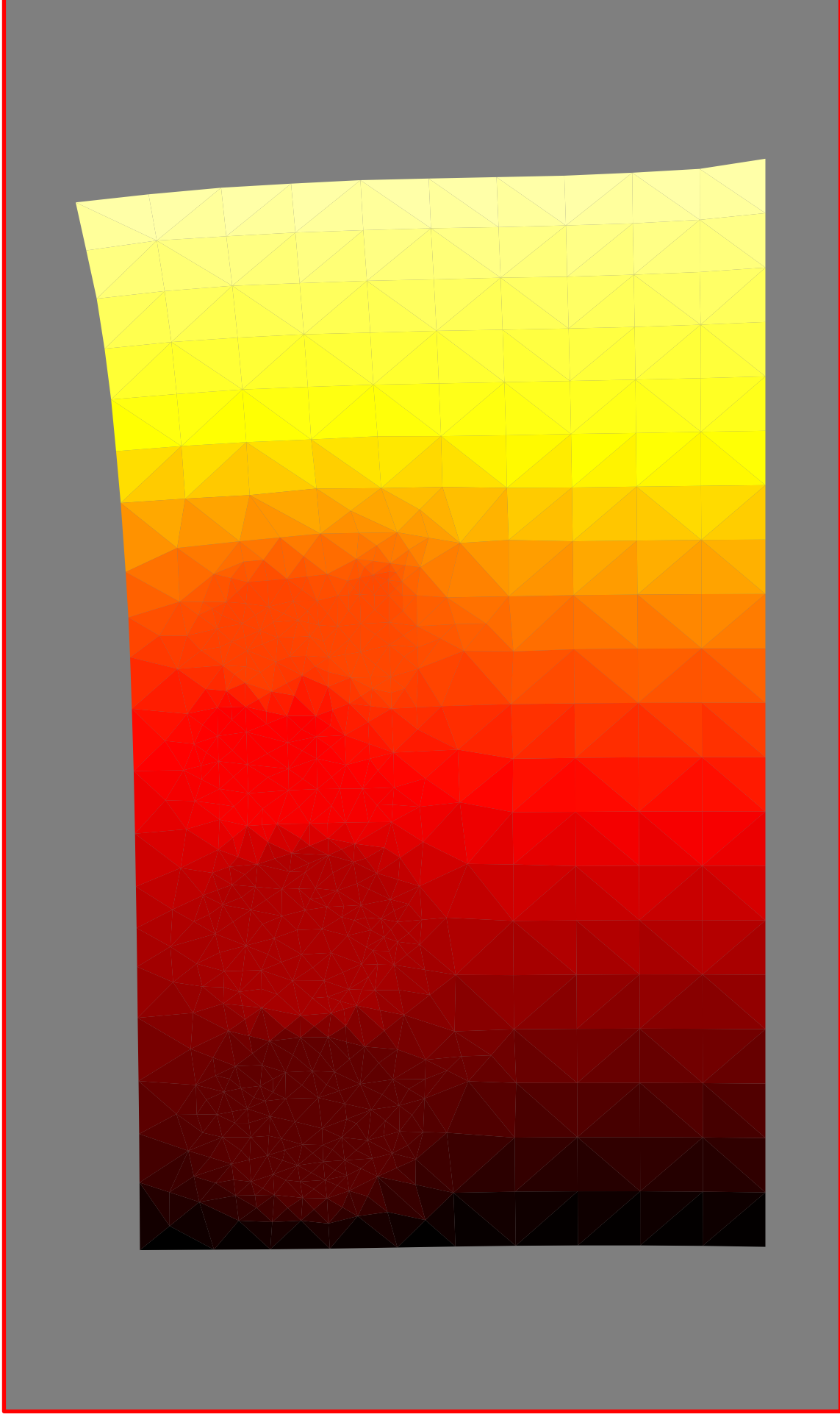
Progress

Working pieces of OOF2:

- Linear matrix solver
- Non-topological boundary conditions
- Linear elastic and simple thermal materials
- Python-scripted input
- Graphical output (preliminary)

An OOF2 Result:

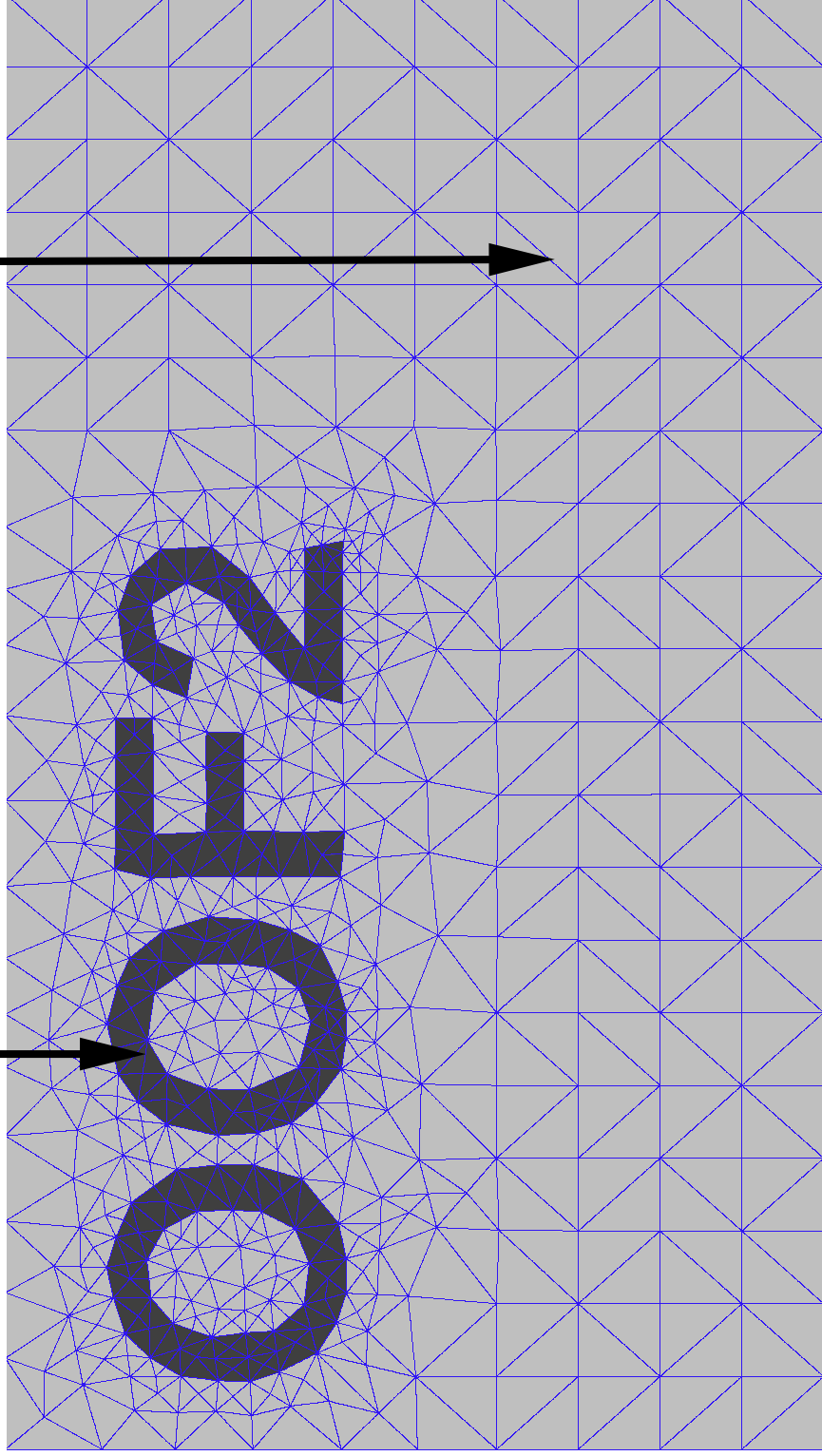
Temperature-dependent elasticity with inclusions:



Anatomy of the system:

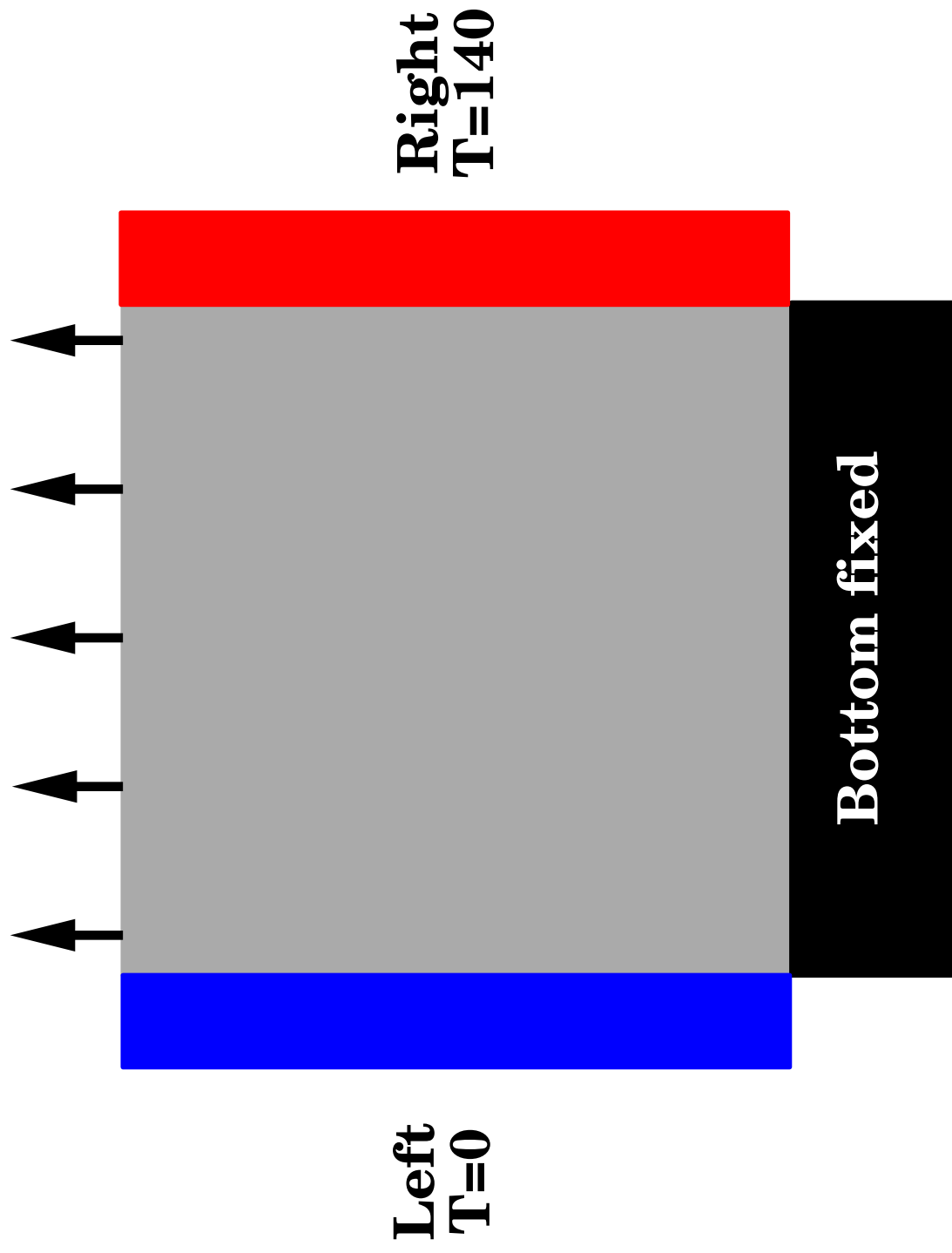
$$\lambda=1.0$$
$$\mu=0.01(150-T)$$
$$\kappa=1$$

$$\lambda=0$$
$$\mu=5$$
$$\kappa=100$$



Boundary conditions:

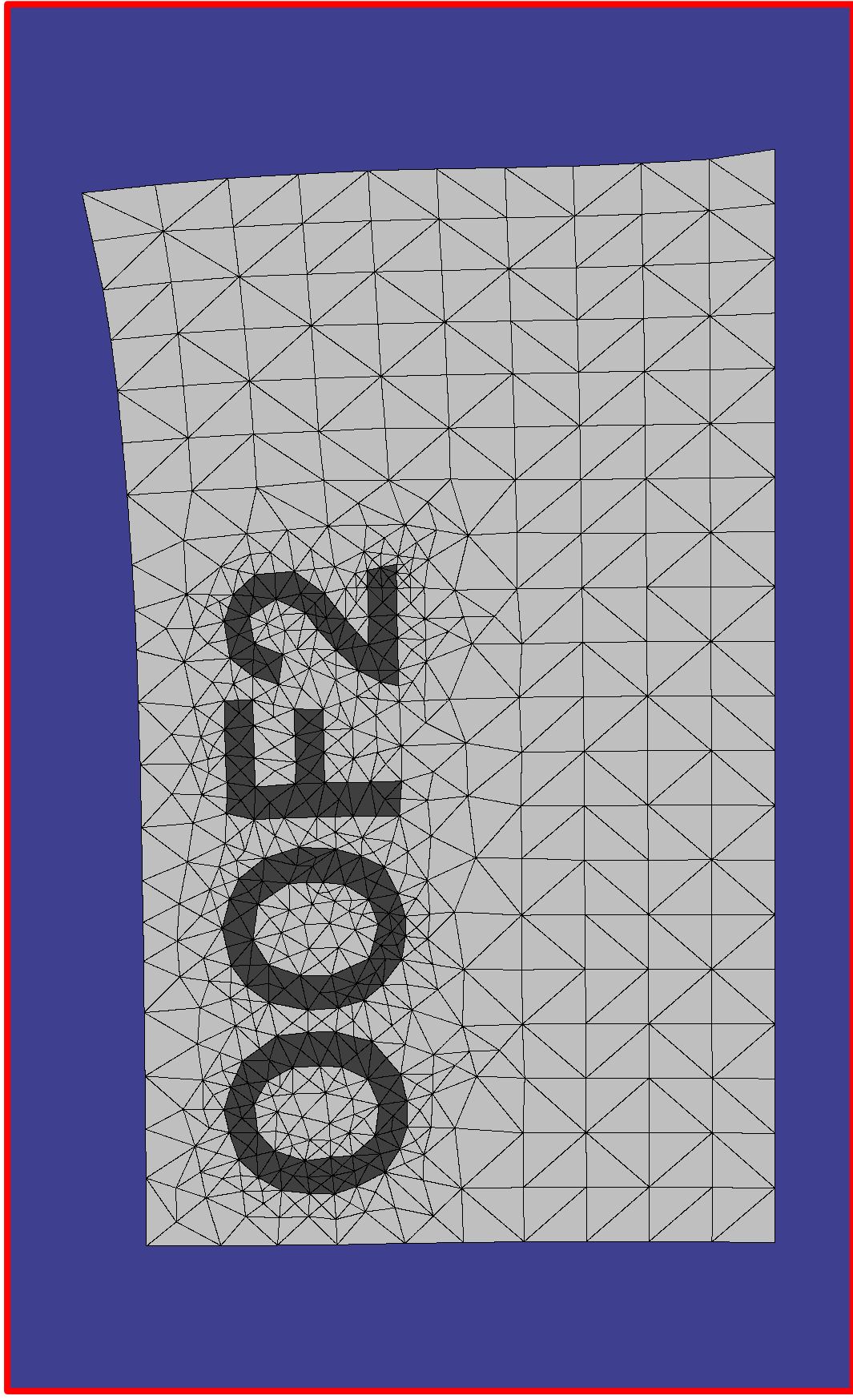
Top: Uniform pressure,
 $-0.1 \text{ (length}^{-1}\text{)}$



Solution method:

In the absence of a nonlinear solver, we use a two-stage technique:

- (1) Equilibrate temperature field
- (2) Apply mechanical load in fixed temperature environment



Coder's view: Using the material

Top-level Python code:

The temperature-dependent matrix material:

```
papermaterial = newMaterial("paper",  
    ThermoElasticity("soft-shear",  
        1.0, 0.0, 150.0, -0.01),  
    IsoHeatConductivity("lowheatcond", 1.0),  
    Orientation("unrotated", EulerAngle(0,0,0)),  
    ColorProperty("gray",0.5))
```

λ μ T_0 $\frac{d\mu}{dT}$

The temperature-independent inclusion material:

```
lettermaterial = newMaterial("Iso-elastic",  
    IsoElasticity("test", 10.0, 0.0),  
    IsoHeatConductivity("highheatcond", 1000.0),  
    Orientation("unrotated", EulerAngle(0,0,0)))
```


The definition of “Temperature”:

In a global file containing non-mesh-dependent variables:

```
temperature = ScalarField("Temperature")
heat_flux = VectorFlux("Heat Flux")
heat_eqn = DivergenceEquation("Heat", heat_flux, 1)

heat_eqn.uses_flux(heat_flux)
```

In a property that uses the field:

```
In the property object's initializer, simply set a local variable:

temperature = getField("Temperature");
```

Now, temperature is known to the "universe", so values can be assigned, and known to the property, so it can have the required dependency.

The T-dependent modulus:

Define a new material:
(Currently C++, will be accessible from Python)

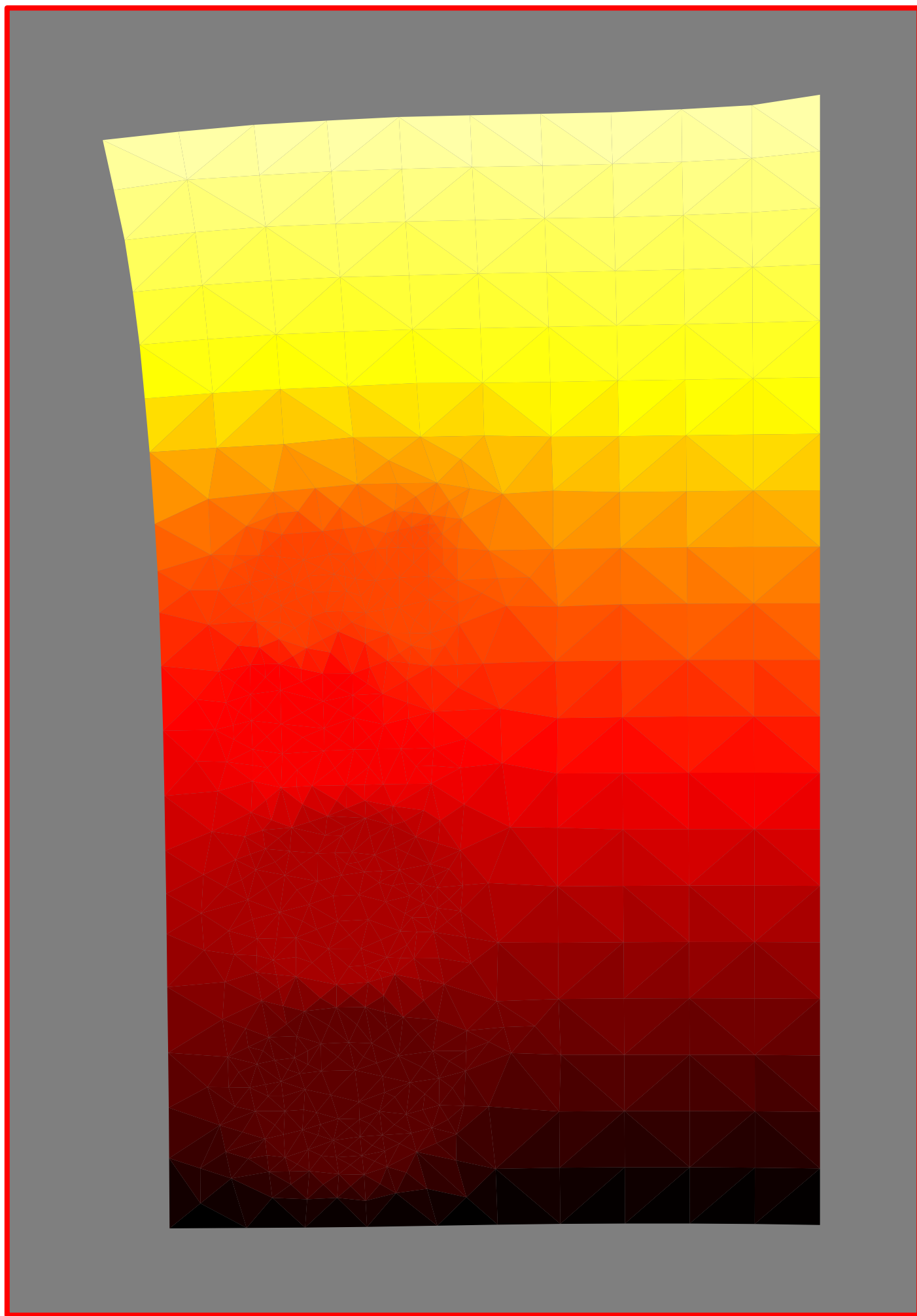
```
const Cijkl ThermoElasticity::cijkl(const Mesh *m,
                                   const Element *e,
                                   const MasterPosition &x) const {

    // Get local temperature
    double temp = e->interpolate(m, *temperature, 0, x);
    Cijkl modulus;
    double local_mu = mu + dmudt * (temp - tzero);
    modulus(0,0) = modulus(1,1) = modulus(2,2) =
        lambda+2.0*local_mu;
    modulus(0,1) = modulus(0,2) = modulus(1,2) = lambda;
    modulus(3,3) = modulus(4,4) = modulus(5,5) = local_mu;

    return modulus;
}
```

This is the code in the ThermoElasticity class that computes the elastic modulus. To make it T-dependent:

- (1) Retrieve the local temperature
- (2) Compute the local value of μ
- (3) Carry on as usual



The Near Future

Steps remaining before an OOF2 release with OOF1 functionality


- Robust graphical output
- ppm2oof-like GUI input
- Front-end/back-end interface specification
- Integration mechanism for body forces


Material Builder (artist's conception)


Properties


- ✚ Orientation
- ➡ Elasticity
- ✚ Isotropic
- ➡ Hexagonal
 - GrphtElasticity
 - ✚ Thermal Expansion
 - ✚ ThermalConductivity
 - ✚ *etc.*


Parameters

C11 = 

C12 = 

C13 = 

C33 = 

C44 = 

Materials

- Graphite
- GrphtElasticity
- GrphtOrientation
- ✚ AF1410 Steel
- ✚ Beer Foam
- ✚ Silicon Nitride

Save ➤

◀ Edit

Copy...

Load Library...

New Material...

Plans

OOF is designed to be user-friendly and user-extensible. We expect many users will be able to take on a wide variety of interesting materials problems with minimal assistance from the development team.

The development team does have a number of ideas for extensions and expansions of OOF2:

- **Plasticity**
 - **3D**
- **Dynamics**
- **Higher-order continuity**

Plasticity

- Often-requested feature from users
- In complex microstructures, simple loads can have complex response, e.g. simultaneous loading and unloading
 - Can draw on existing finite-element techniques
 - Implement by field variables indicating plastic state -- yield stress, plastic strain, possibly others

3D

- Actual dimensionality of real materials
- Greater computational power, advances in microscopy make 3D data sets more common
 - 3D FE techniques exist
- Primary challenge is to make the transition from data set to mesh in a structured, efficient way -- work on this is underway

Dynamics

- "Easy" dynamics -- time-dependent fields in materials with constant properties, e.g. transients in diffusion
- "Hard" dynamics -- changes in structure or properties in response to changing fields, e.g. phase transitions
 - Present in preliminary form in OOF1

Higher-order continuity

- Ordinary FE analysis requires that fields be continuous everywhere, but they can have discontinuous derivatives
 - For some constitutive models (e.g. strain-gradients), this may make physical quantities undefined
- Makes contact with phase-field techniques

Summary

- OOF2 offers OOF1 functionality in a more flexible, extensible architecture
 - Core OOF2 system is working now
 - Maintains Materials Science focus -- features driven by scientific user community